

## By Anan Elayan

STAT 2311\_1212 TEST 2C

NAME Key 1 Number \_\_\_\_\_ Section \_\_\_\_\_

**QUESTION #1:** A researcher has obtained the number of hours worked per week during the summer for a sample of 15 students.

	40	25	35	30	20	40	30	20	40	10	30	20	10	5	20
Sort Data	5	10	10	20	20	20	20	25	30	30	30	35	40	40	40

Using this data set, compute the following: Use SD mode

1. The median  $\text{position: } \frac{15+1}{2} = 8$

$$\text{Median} = 25$$

2. The mean

$$25$$

3. The mode

$$20$$

4. The range.

$$40 - 5 = 35$$

5. The sample standard deviation.

$$11.34$$

6. The coefficient of variation.

$$C.V. = \frac{11.34}{25} \times 100\% = 45.36\%$$

7. The limits of the fence of the box plot. Is there any outliers? Explain

$$Q_1: 20, Q_3 = 35, IQR = 15, 1.5 IQR = 22.5$$

$$\text{Lower Limit: } 20 - 22.5 = -2.5$$

$$\text{Upper: } 35 + 22.5 = 57.5$$

No value  $> 57.5$  or less than  $-2.5$

$\Rightarrow$  No outlier

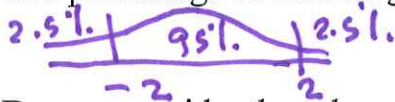
## By Anan Elayan

**QUESTION #2:** Suppose annual salaries for a MM company have a bell-shaped distribution with a mean of \$32,500 and a standard deviation of \$2,500.

1. The z-score for a sales associate from this store who earns \$37,500 is

$$z_{37,500} = \frac{37,500 - 32,500}{2,500} = 2$$

2. The percentage of salaries greater than \$37,500 is



2.5%

3. Do you consider the salary \$24,000 as a low salary? Why?

$$z_{24,000} = \frac{24,000 - 32,500}{2,500} = -3.4 < -3 \Rightarrow \text{outlier} \Rightarrow \text{Low Salary}$$

**QUESTION #3:** Circle the correct answer

1. Generally, which of the following is the **least appropriate** measure of central tendency for a data set that contains outliers?
- The mean.
  - The median
  - The mode
2. An important **measure of location** for categorical data is the
- The mean.
  - The median
  - The mode
3. The empirical rule states that, for data having a bell-shaped distribution, the percentage of data values being within two standard deviation of the mean is approximately
- 99.97%
  - 95%
  - 68%
  - 34%
4. A numerical measure computed from a sample, such as sample mean, is known as a
- Population parameter
  - Sample parameter
  - Sample statistic
  - Population statistic
5. In computing the  $p$ th percentile, if the index  $i$  is an integer the  $p$ th percentile is the
- Data value in position  $i$
  - Data value in position  $i+1$
  - Average of data values in positions  $i$  and  $i+1$
  - Average of data values in positions  $i$  and  $i-1$
6. If index  $i$  (which is used to determine the location of the  $p$ th percentile) is not an integer, its value should be
- squared
  - divided by  $(n-1)$
  - rounded down
  - rounded up

# By Anan Elayan

## STAT 2311\_1212 TEST 2D

NAME Key 2 Number \_\_\_\_\_ Section \_\_\_\_\_

**QUESTION #1:** A researcher has obtained the number of hours worked per week during the summer for a sample of 15 students.

	40	25	35	30	20	45	30	20	45	10	30	20	10	45	24
Sort Data	10	10	20	20	20	27	25	30	30	30	35	40	45	45	45

Using this data set, compute the following: **Use SD mode**

1. The median

$$30$$

2. The mean

$$\bar{x} = 28.6$$

3. The mode

$$20, 30, 45$$

4. The range.

$$45 - 10 = 35$$

5. The sample standard deviation.

$$s = 11.75$$

6. The coefficient of variation.

$$C.V. = \frac{11.75}{28.6} \times 100\% = 41.08\%$$

7. The limits of the fence of the box plot. Is there any outliers? Explain

$$Q_1 = 20, Q_3 = 40, IQR = 20, 1.5 IQR = 30$$

$$\text{Lower Limit: } 20 - 30 = -10$$

$$\text{Upper Limit } 40 + 30 = 70$$

No outliers (No values  $< -10$  or  $> 70$ )

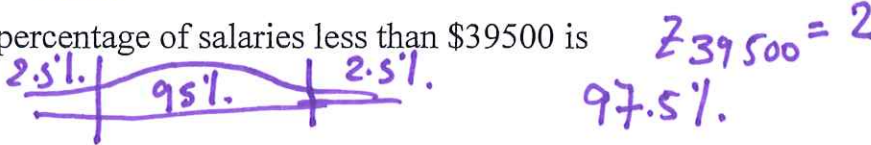
## By Anan Elayan

**QUESTION #2:** Suppose annual salaries for a MM company have a bell-shaped distribution with a mean of \$34,500 and a standard deviation of \$2,500.

1. The z-score for a sales associate from this store who earns \$32,000 is

$$z_{32000} = -1$$

2. The percentage of salaries less than \$39,500 is



3. Do you consider the salary \$42,500 as a high salary? Why?

$$z_{42500} = 3.2 > 3 \Rightarrow \text{outlier} \Rightarrow \text{High Salary}$$

**QUESTION #3:** Circle the correct answer

- The empirical rule states that, for data having a bell-shaped distribution, the percentage of data values being within one standard deviation of the mean is approximately
  - 99.97%
  - 95%
  - 68%
  - 34%
- Generally, which of the following is the **least appropriate** measure of central tendency for a data set that contains outliers?
  - The mean.
  - The median
  - The mode
- An important **measure of location** for categorical data is the
  - The mean.
  - The median
  - The mode
- If index  $i$  (which is used to determine the location of the  $p$ th percentile) is not an integer, its value should be
  - squared
  - divided by  $(n - 1)$
  - rounded up
  - rounded down
- A numerical measure computed from a population, such as population mean, is known as a
  - Population parameter
  - Sample parameter
  - Sample statistic
  - Population statistic
- In computing the  $p$ th percentile, if the index  $i$  is an integer the  $p$ th percentile is the
  - Data value in position  $i$
  - Data value in position  $i + 1$
  - Average of data values in positions  $i$  and  $i - 1$
  - Average of data values in positions  $i$  and  $i + 1$